

# E in the Answer? I Didn't Ask for Scientific Notation! Classic view

## Objectives:

- Review powers of 10 and how they appear on a GC
- Review scientific notation
- Translate calculator answers to standard notation

## Review powers of 10 and how they appear on a GC

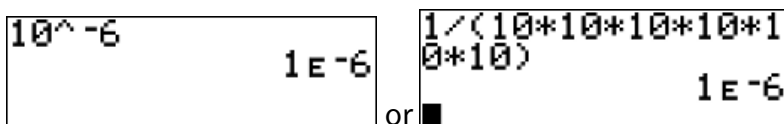
If a number is written in the “normal” way, that’s called standard notation.

**Example 1:** Write  $10^{-6}$  in standard notation.

$$\text{Solution: } 10^{-6} = \frac{1}{10^6} = \frac{1}{10 \times 10 \times 10 \times 10 \times 10 \times 10} = \frac{1}{1,000,000} =$$

Answer: 0.000001

**Example 2:** Use your GC to calculate  $10^{-6}$ . Notice the unusual form of the GC’s final answer!



10<sup>-6</sup>      1 E -6      or      1/(10\*10\*10\*10\*10\*10)      1 E -6

## Review scientific notation

Scientific notation can be used to write any number as  $a \times 10^b$ , where

$1 \leq a < 10$  (This means that  $a$  has one nonzero digit to the left of the decimal point) and  $b$  is an integer  $\{\dots -3, -2, -1, 0, 1, 2, 3, \dots\}$ .

The GC replaces the  $\times 10$  by **E** and moves the exponent  $b$  down, so  $a \times 10^b$  looks like  $a \mathbf{E} b$ .

**IMPORTANT:** The GC abbreviation  $a \mathbf{E} b$  is NOT correct mathematical notation, so do not write **E** as a final answer.

To write a number in scientific notation, determine  $a$  and  $b$ .

To find  $a$ , start on the left side of the number and find the first non-zero digit. Write it and all digits that follow (including zeros in between) until the last non-zero digit.

To find  $b$  when it's *positive*, find how many times you *multiply*  $a$  by 10 to get the original number.

To find  $b$  when it's *negative*, find how many times you *divide*  $a$  by 10.

Some people find  $b$  by counting the number of places the decimal point is moved.

**Example 3:** Write 30,200 in scientific notation.

Solution:  $a = 3.02$ , multiply by 10 four times, or move the decimal point 4 places, so  $b = 4$

Answer:  $3.02 \times 10^4$

**Example 4:** Write 0.0004087 in scientific notation.

Solution:  $a = 4.087$  Divide by 10 four times, or move the decimal point 4 places, so  $b = -4$

Answer:  $4.087 \times 10^{-4}$

**Example 5:** Write 3.901 in scientific notation

$a = 3.901$  We do not need to multiply or divide by 10, so the exponent  $b$  is zero.

Answer:  $3.901 \times 10^0$

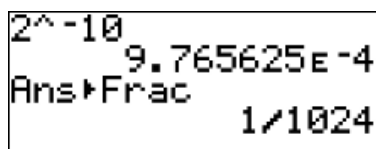
## Translate calculator answers to standard notation

The GC automatically displays very large or very small numbers in scientific notation using  $a E b$ , which is “calculator speak”, instead of correct mathematical notation in the form  $a \times 10^b$ .

**Example 6:** Calculate  $2^{-10}$  and write your answer a) in scientific notation, b) in standard notation and c) as a fraction.

**Notice:** This is base 2, not base 10. Scientific notation ALWAYS uses powers of 10.

Solution:



2<sup>-10</sup>  
9.765625E-4  
Ans → Frac  
1/1024

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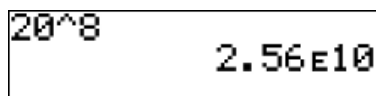
To convert to a fraction, press

After calculating, write standard notation by dividing 9.765625 by 10 four times, (or moving the decimal point 4 places left, putting in three zeros.)

Answers: a)  $9.765625 \times 10^{-4}$  b) 0.0009765625 c)  $\frac{1}{1024}$

**Example 7:** Calculate  $20^8$  and write your answer a) in scientific and b) standard notations.

Solution:



20<sup>8</sup>  
2.56E10

After calculating, write standard notation by multiplying 2.56 by 10 ten times, (or moving the decimal point 10 places right, putting in eight zeros.)

Answers: a)  $2.56 \times 10^{10}$  b) 25,600,000,000

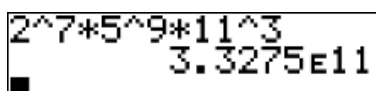
## Try It!

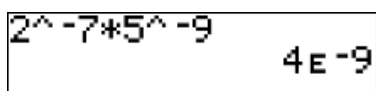
Calculate and write in standard notation.

1)  $2^7 \cdot 5^9 \cdot 11^3$

2)  $2^{-7} \cdot 5^{-9}$

## Answers

1)  means  
332,750,000,000

2)  means  
0.000000004